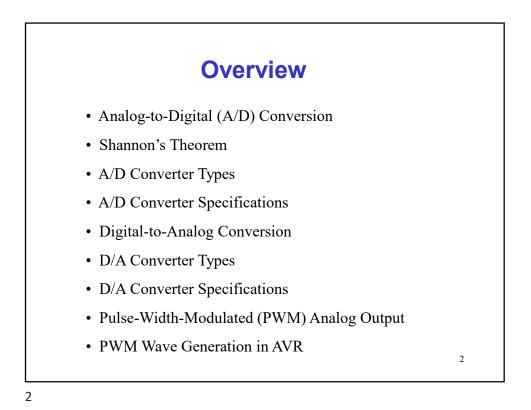


http://www.cse.unsw.edu.au/~cs2121 Lecturer: Hui Wu Term 2, 2019



Analog Signals versus Digital Signals

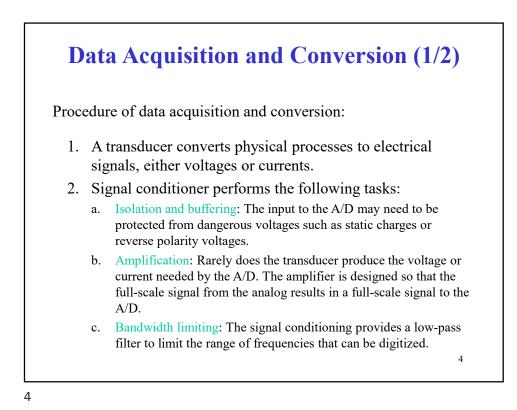
Analog signals:

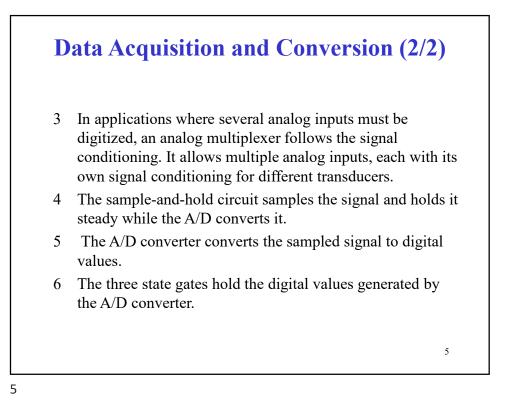
- Continuous in both time and amplitude.
- Noise sensitive.
- Cannot be manipulated by the computer.

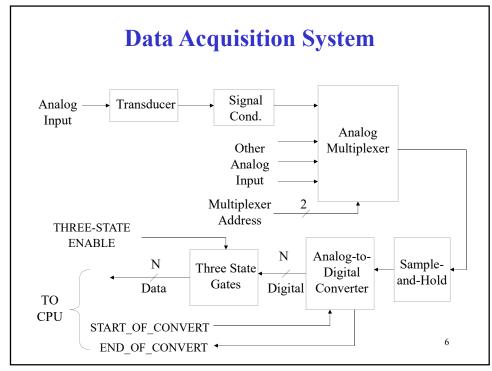
Digital signals:

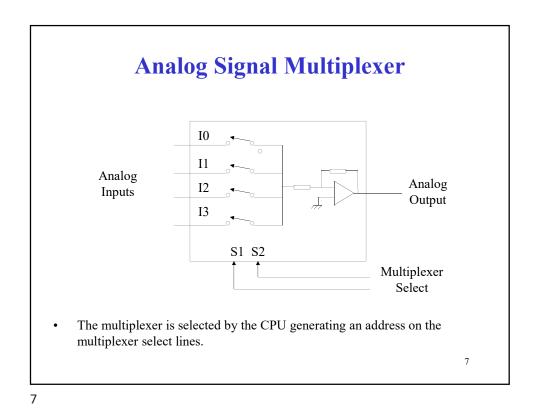
3

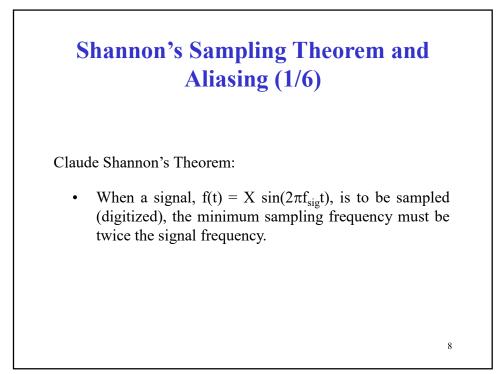
- Discrete in both time and amplitude.
- Generally free from noise.
- Can be manipulated by the computer.
- cannot exactly represent or reconstruct analog signals.

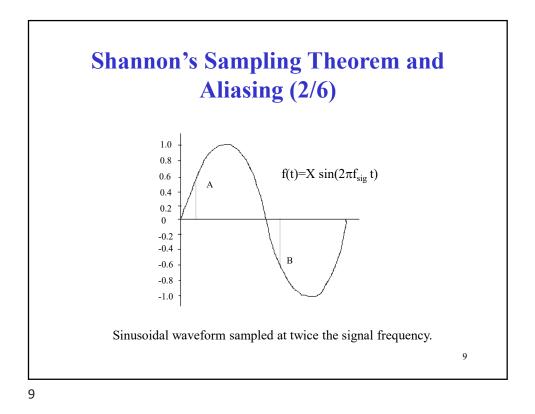


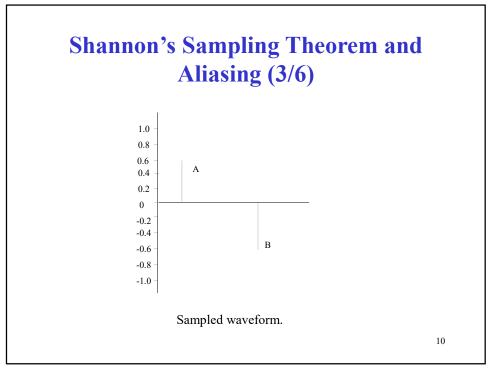


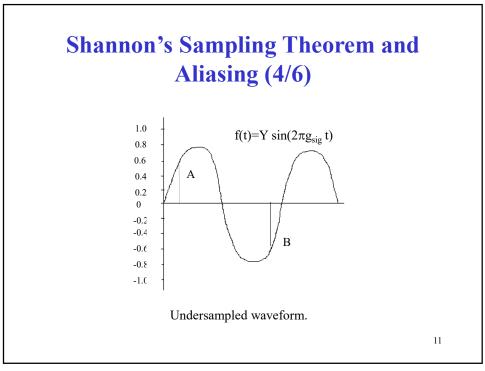


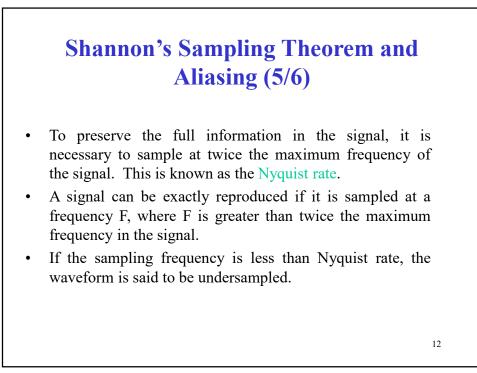








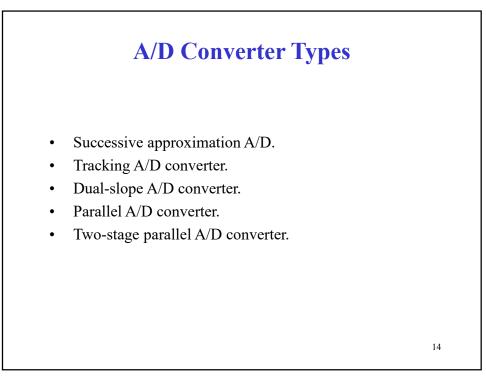




Shannon's Sampling Theorem and Aliasing (6/6)

- Undersampled signal, when converted back into a continuous signal, will exhibit a phenomenon called *aliasing*.
 - □ Aliasing is the presence of unwanted components in the reconstructed signal. These components were not present when the original signal was sampled. In addition, some of the frequencies in the original signal may be lost in the reconstructed signal.

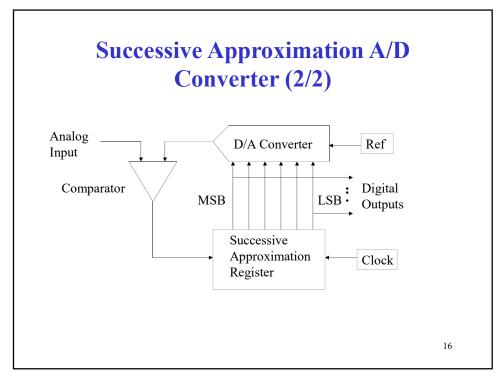
13

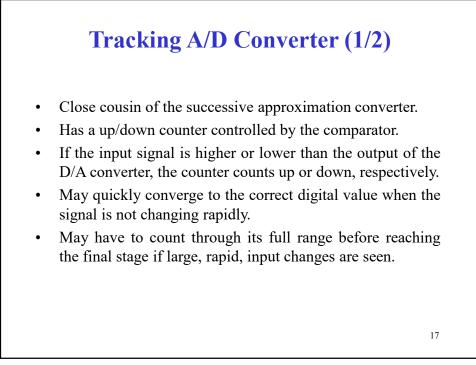


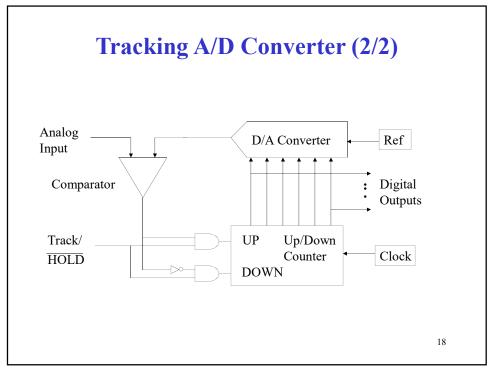
Successive Approximation A/D Converter (1/2)

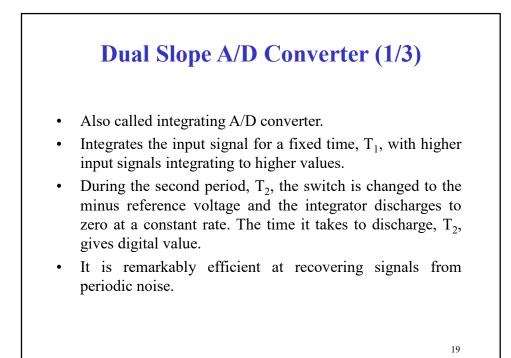
- Each bit in the successive approximation register is tested, starting at the most significant bit and working toward the least significant bit.
- As each bit is set, the output of the D/A converter is compared with the input.
- If the D/A output is lower than the input signal, the bit remains set and the next bit is tried.
- Bits that make the D/A output higher than the analog input are reset.
- N bit-times are required to set and test each bit in the successive approximation register.

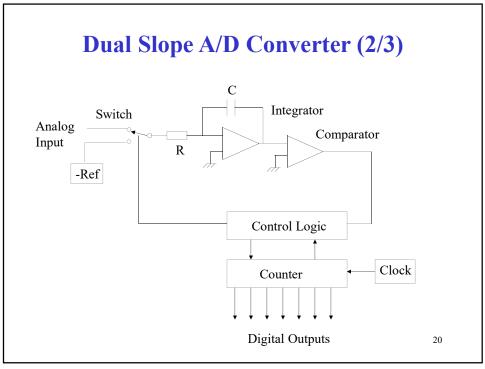
15

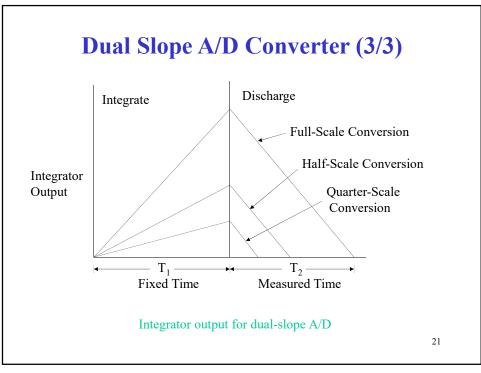


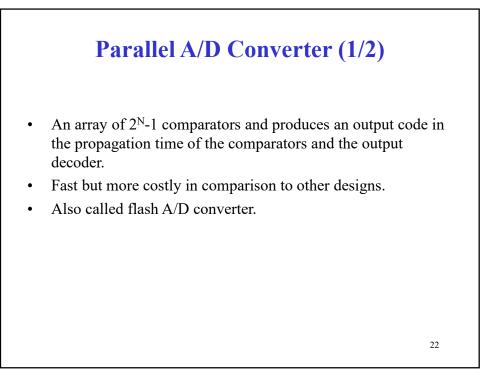


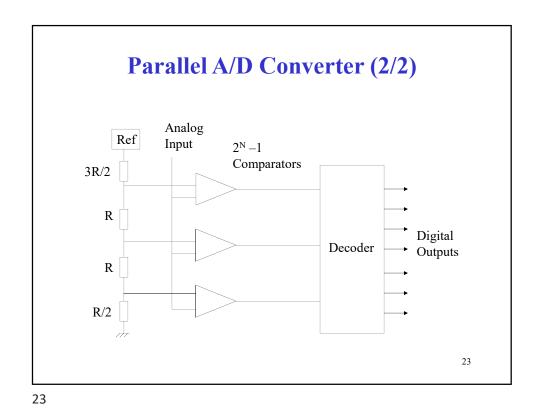


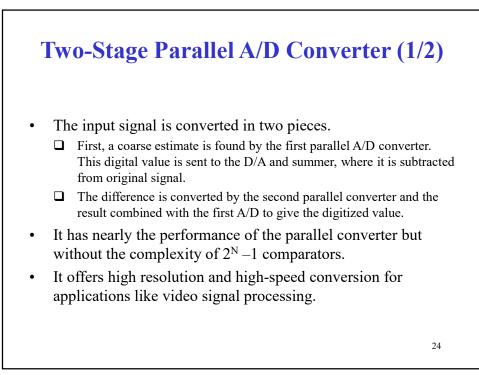


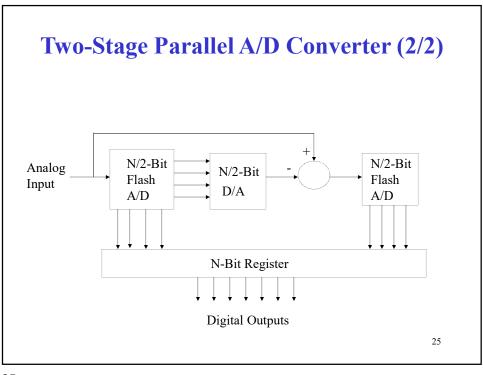




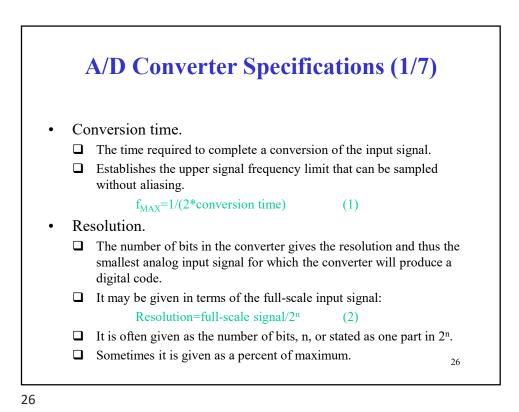


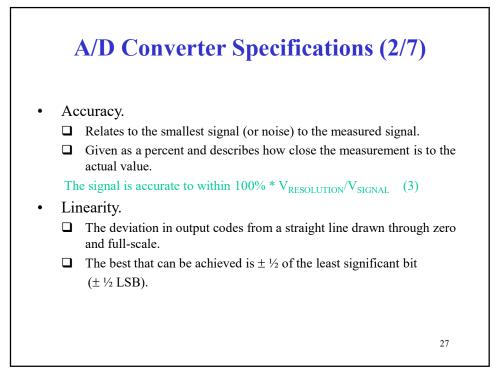


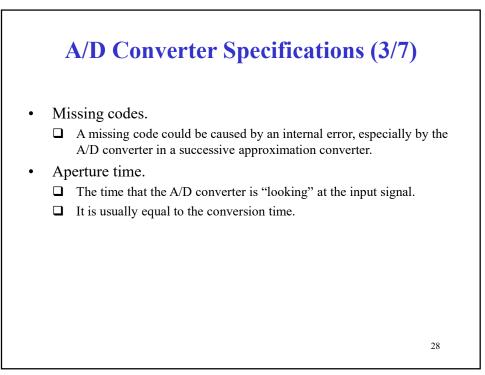


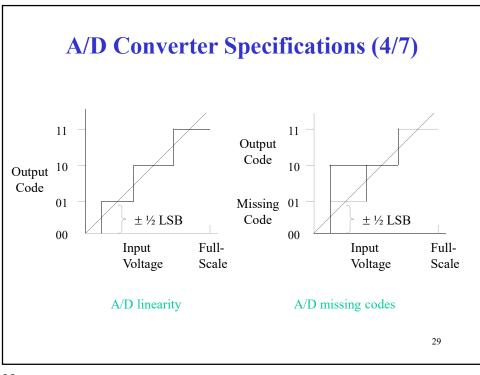


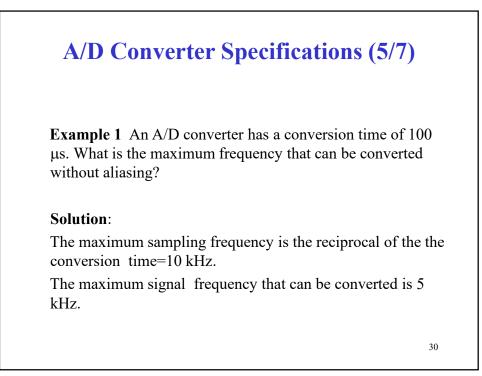


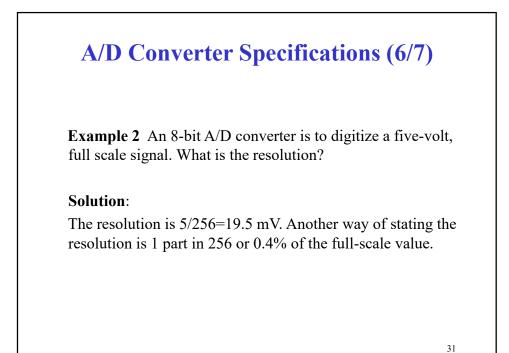


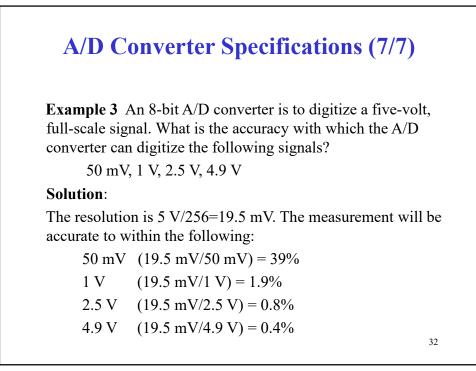










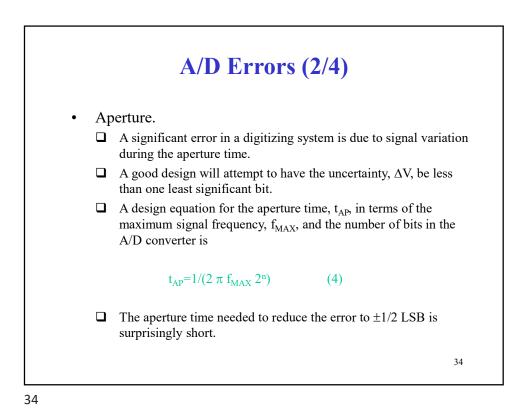


A/D Errors (1/4)

Three sources of errors in A/D conversion:

- Noise.
 - □ All signals have noise.
 - □ Need to reduce noise or choose the converter resolution appropriately to control the peak-to-peak noise.
- Aliasing.
 - $\hfill\square$ The errors due to aliasing is difficult to quantify.
 - □ They depend on the relative amplitude of the signals at frequencies below and above the Nyquist frequency.
 - □ The system design should include a low-pass filter to attenuate frequencies above the Nyquist frequency.

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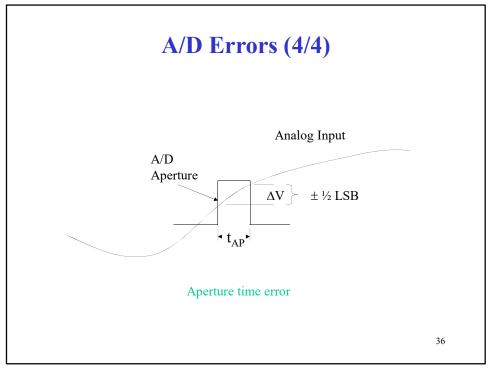


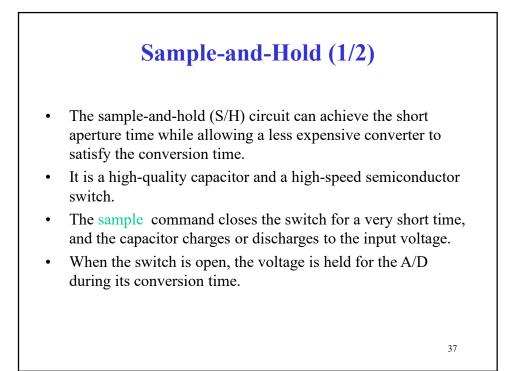
Example 4 A 1 kHz sinusoidal signal is to be digitized to eight bits. Find the maximum conversion time that can be used and still avoid aliasing and aperture time so that the aperture error is less than $\pm \frac{1}{2}$ LSB.

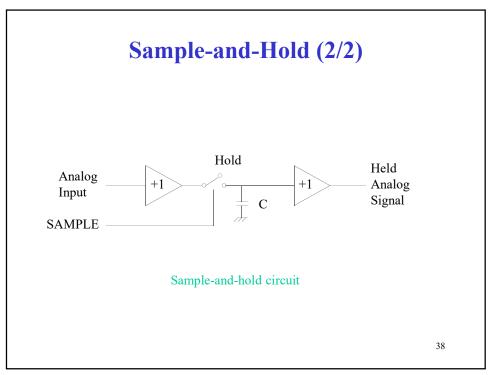
Solution: There must be at least two samples per period; so the maximum conversion time is 0.5 ms. The aperture time is given by Equation 4 and is

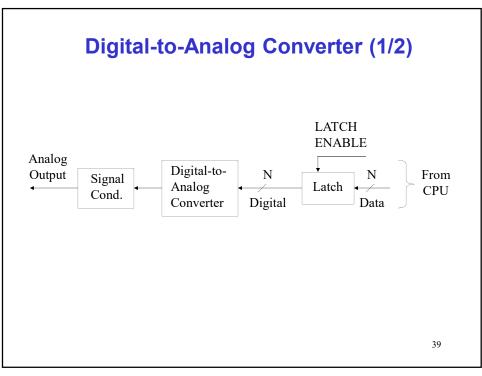
 $t_{AP} = 1/(2 \pi * 10^3 * 256) = 0.62 \ \mu s$

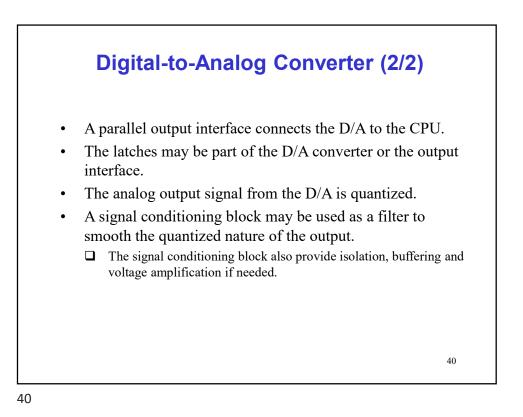
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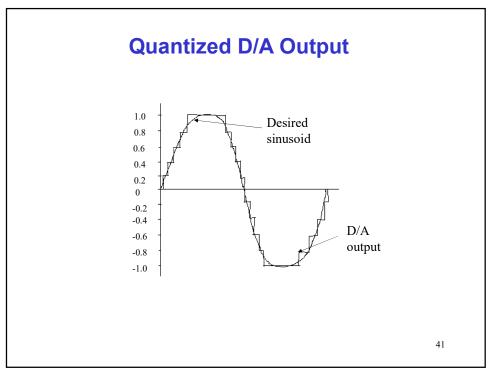


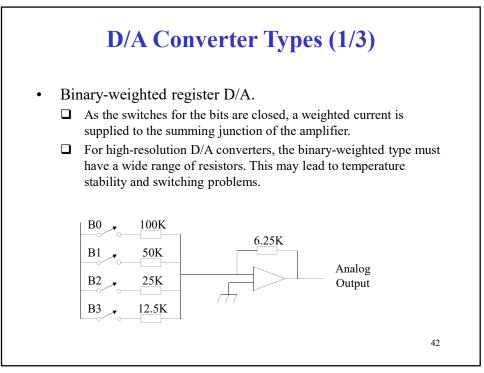


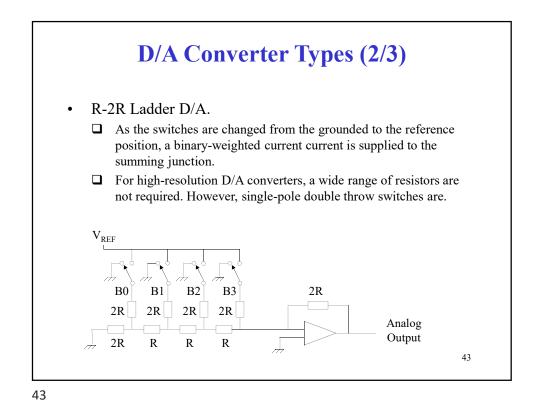


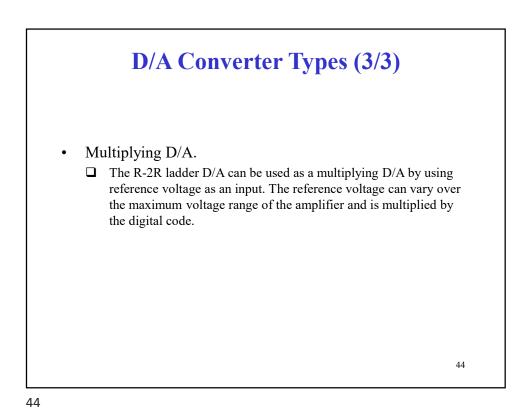


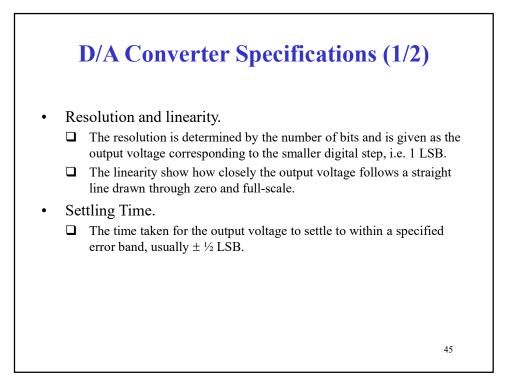


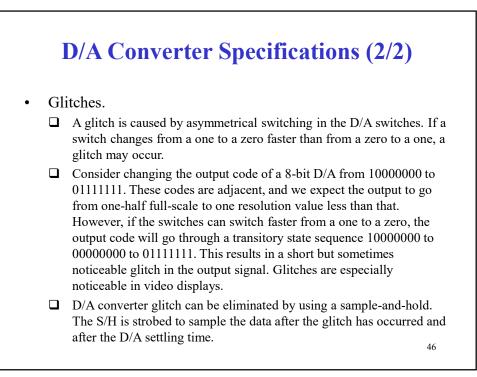


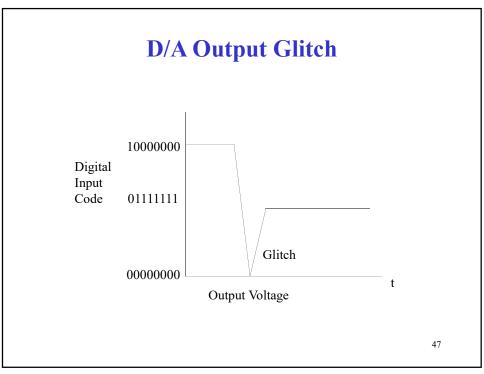


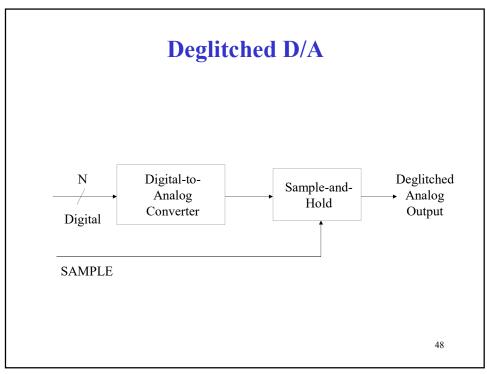








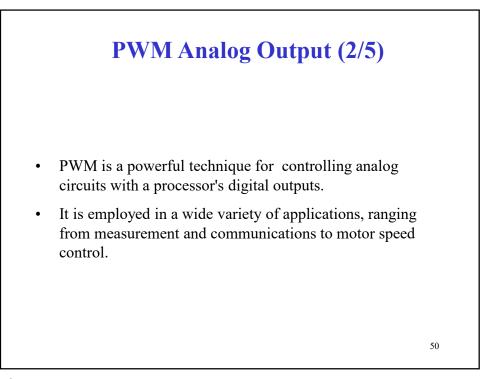


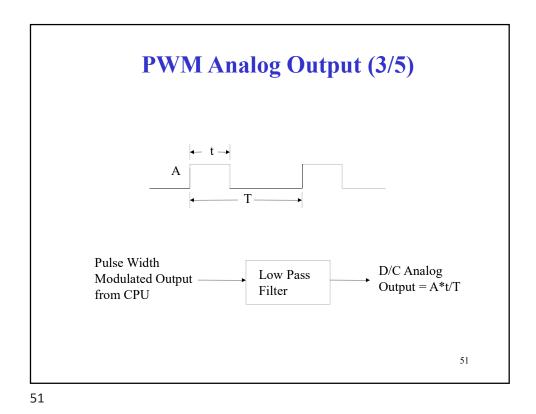


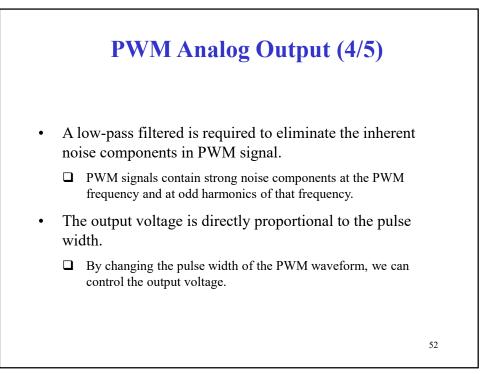
PWM Analog Output (1/5)

- PWM (Pulse Width Modulation) is a way of digitally encoding analog signal levels. Through the use of high-resolution counters, the *duty cycle* (pulse width/period) of a square wave is modulated to encode a specific analog signal level.
- The PWM signal is still digital because, at any given instant of time, the full DC supply is either fully on or fully off. The voltage or current source is supplied to the analog load by means of a repeating series of on and off pulses. Given a sufficient bandwidth, any analog value can be encoded with PWM.

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PWM Analog Output (5/5)

Pulse-width modulation uses a rectangular pulse wave. Consider a pulse waveform f(t) with a period T, a low value y_{min} ($y_{min}=0$), a high value y_{max} , and a duty cycle D, the average value y of the waveform is given by:

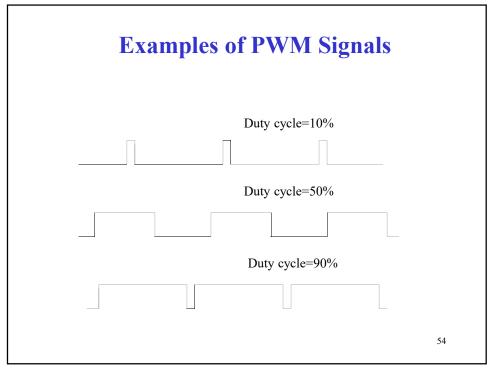
$$y=\frac{1}{T}\int_0^T f(t) dt$$

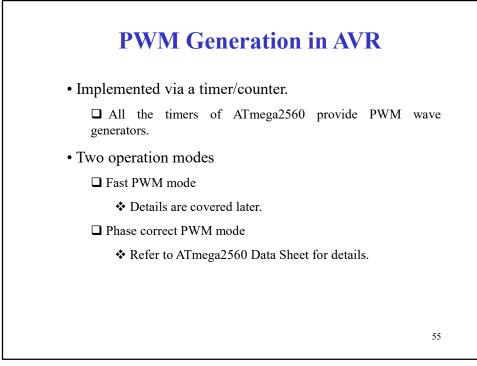
Since f(t) is a pulse wave, its value is y_{max} for 0<t<DT and y_{min} for DT<t<T, the above equation becomes:

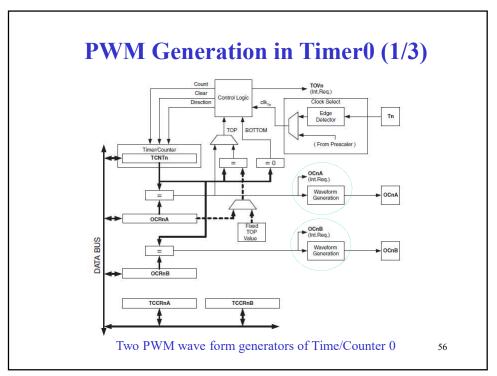
$$y = \frac{1}{T} \left(\int_0^{DT} y_{max} dt + \int_{DT}^T y_{min} dt \right)$$
$$= \frac{1}{T} \left(DT y_{max} + T (1 - D) y_{min} \right)$$
$$= D y_{max}$$

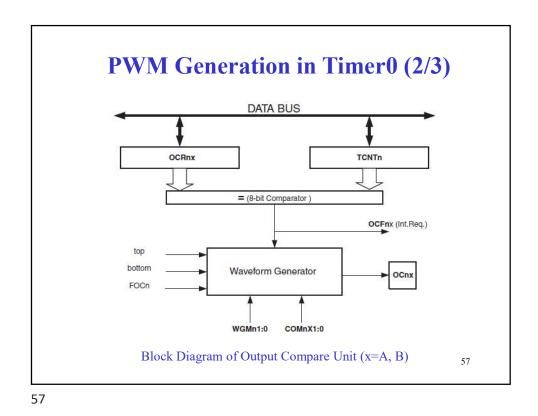
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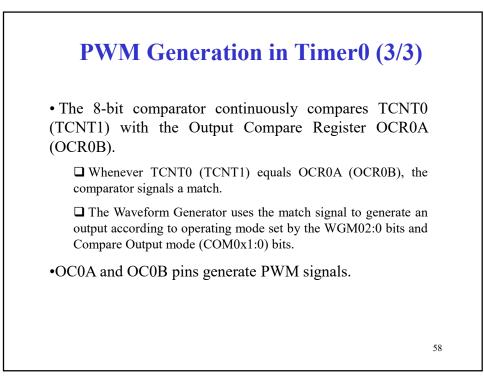
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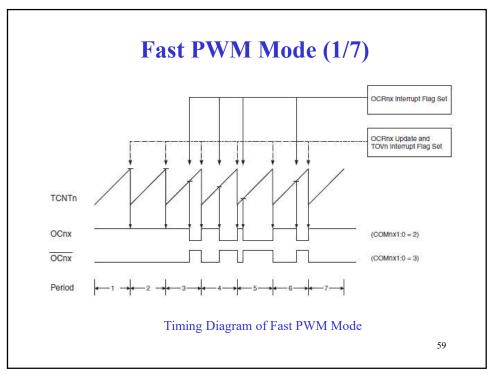


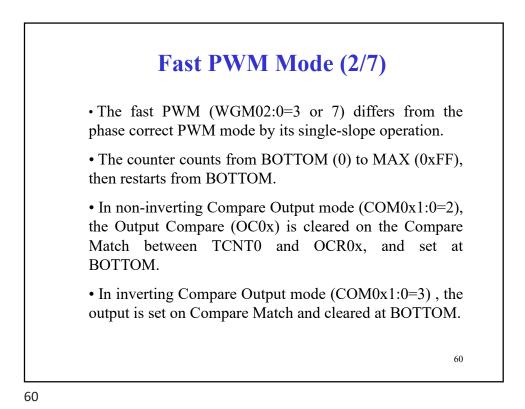












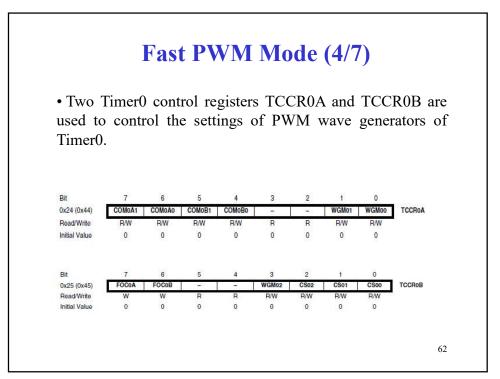
Fast PWM Mode (3/7)

• Due to the single-slope operation, the operating frequency of the fast PWM mode can be twice as high as the phase correct PWM mode that uses dual-slope operation.

□ This high frequency makes the fast PWM mode well suited for power regulation, rectification, and DAC applications.

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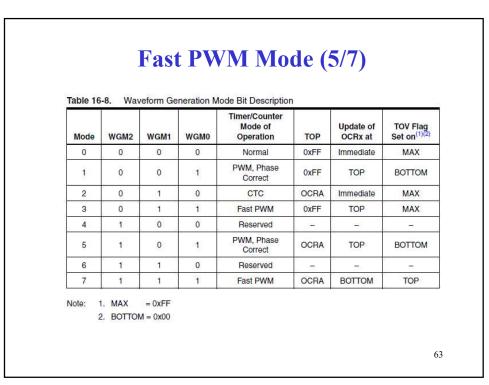


Table 16-3.		t PWM Mode (6/7)
COM0A1	COM0A0	t Mode, Fast PWM Mode ⁽¹⁾ Description
0	0	Normal port operation, OC0A disconnected
0	1	WGM02 = 0: Normal Port Operation, OC0A Disconnected WGM02 = 1: Toggle OC0A on Compare Match
81	0	Clear OC0A on Compare Match, set OC0A at BOTTOM (non-inverting mode)
1	1	Set OC0A on Compare Match, clear OC0A at BOTTOM (inverting mode)
Table 16-6.	Compare Outpu	t Mode, Fast PWM Mode ⁽¹⁾
COM0B1	COM0B0	Description
0	0	Normal port operation, OC0B disconnected
0	1	Reserved
1	0	Clear OC0B on Compare Match, set OC0B at BOTTOM (non-inverting mode)
1	1	Set OC0B on Compare Match, clear OC0B at BOTTOM (Inverting mode)

