



Securing Fixed and Wireless Networks, COMP4337/9337 WK02-02Authenticaton, Key Distribution (Asymmetric)

Never Stand Still

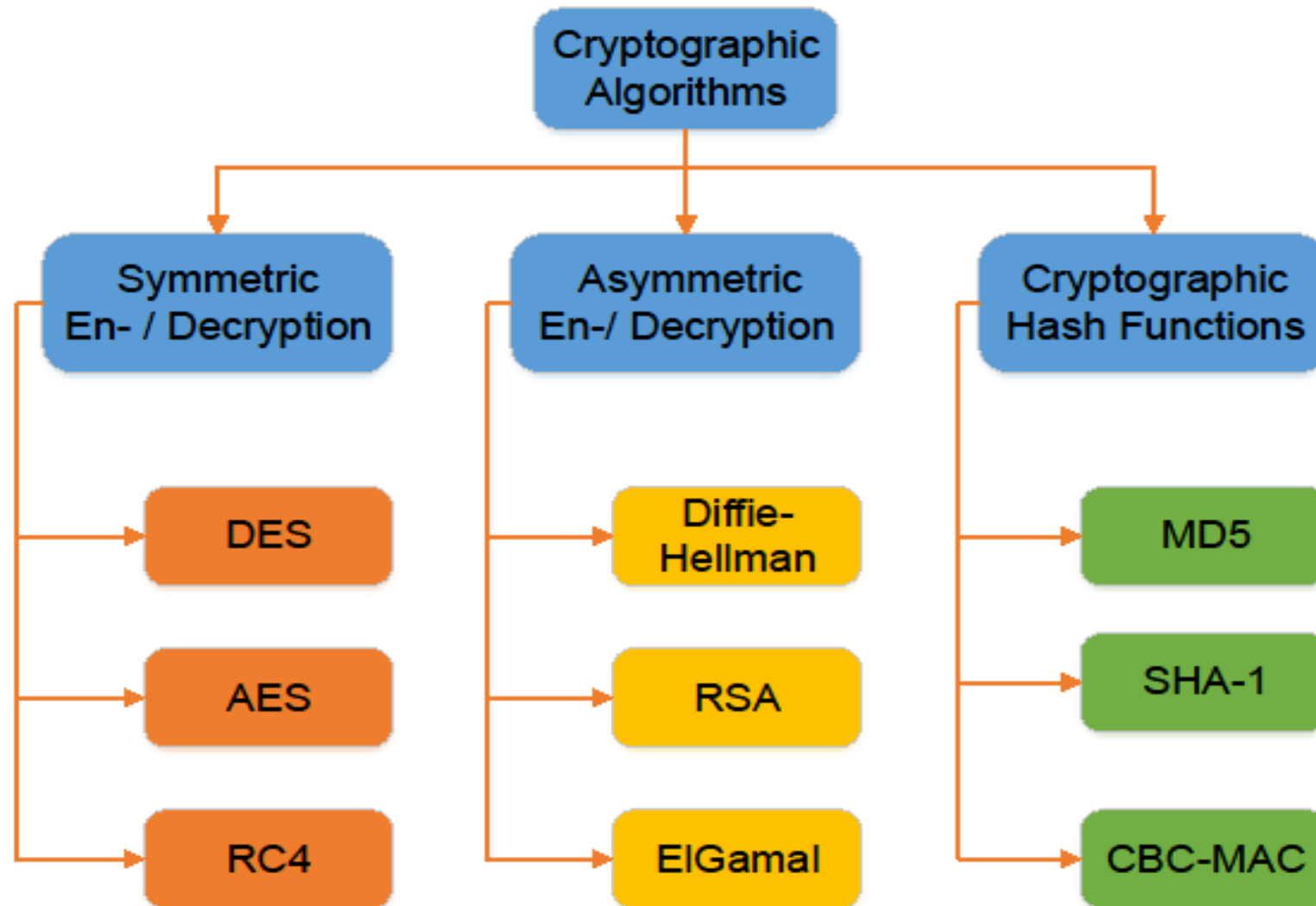
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Today's Agenda

- Authentication Recap
- Key distribution using asymmetric encryption
 - Public-key distribution of secret keys
- Formal Method for Protocol Specification and Verification: AVISPA Tool

Recap



Recap Authentication Basics

- Quick recap, possibly already done in 3331/9331 (Kurose-Ross Ch8)
- These are basic building blocks
 - Make sure you understand this well as they help material covered in this subject.

Authentication

Goal: Bob wants Alice to “prove” her identity to him

Protocol ap1.0: Alice says “I am Alice”



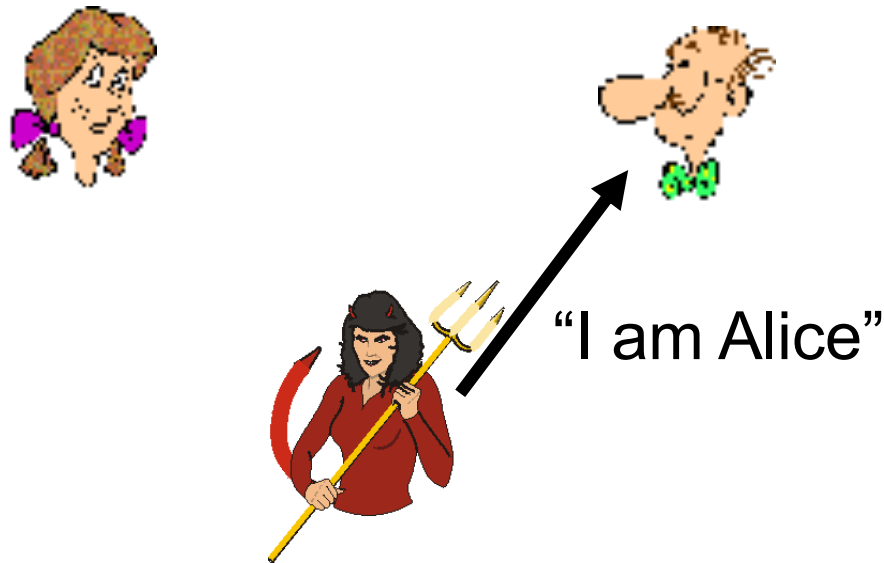
Failure scenario??



Authentication

Goal: Bob wants Alice to “prove” her identity to him

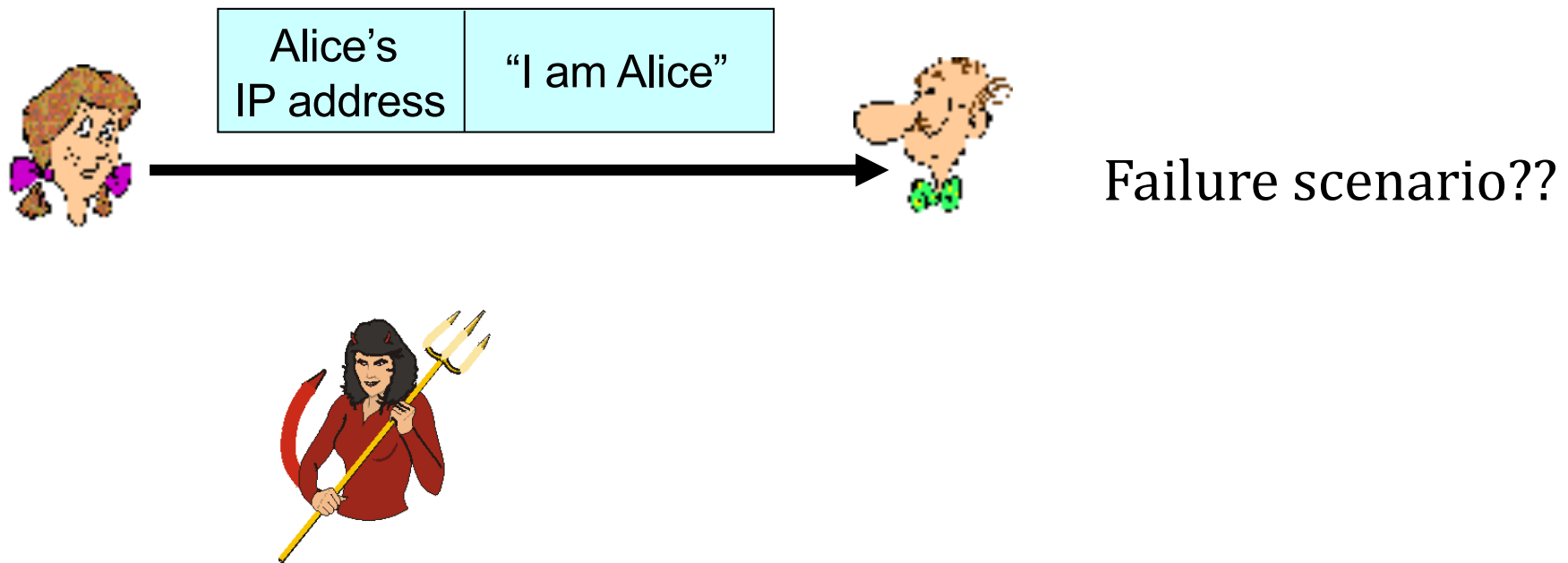
Protocol ap1.0: Alice says “I am Alice”



In a network,
Bob can not “see” Alice, so
Eve simply declares
herself to be Alice

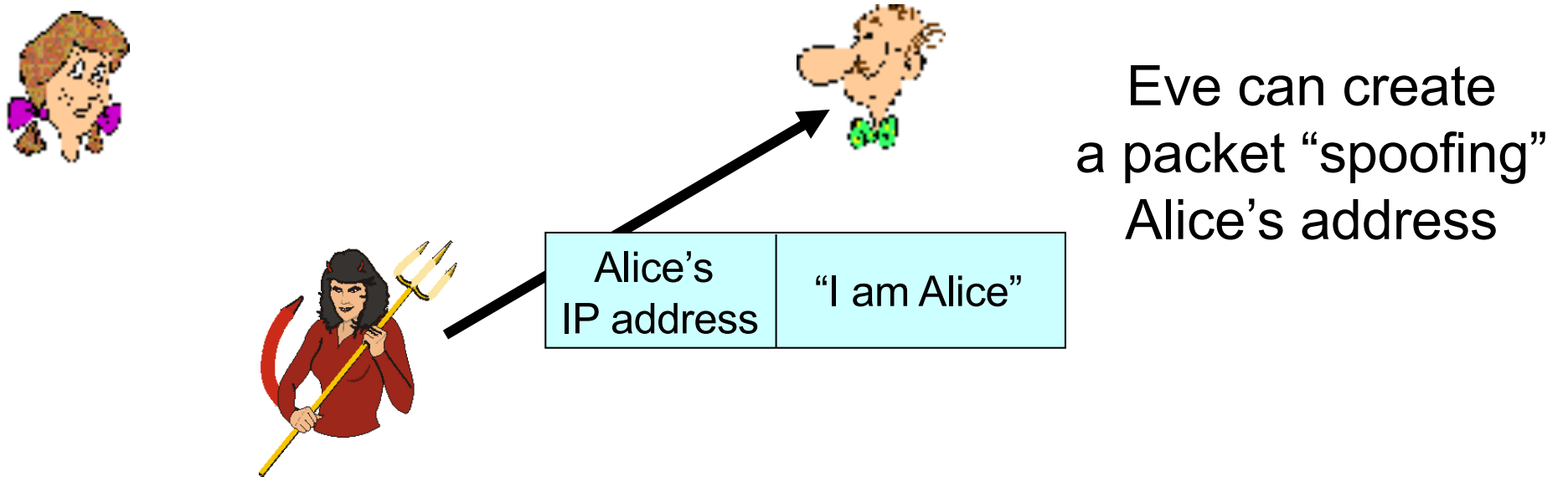
Authentication: another try

Protocol ap2.0: Alice says “I am Alice” in an IP packet containing her source IP address



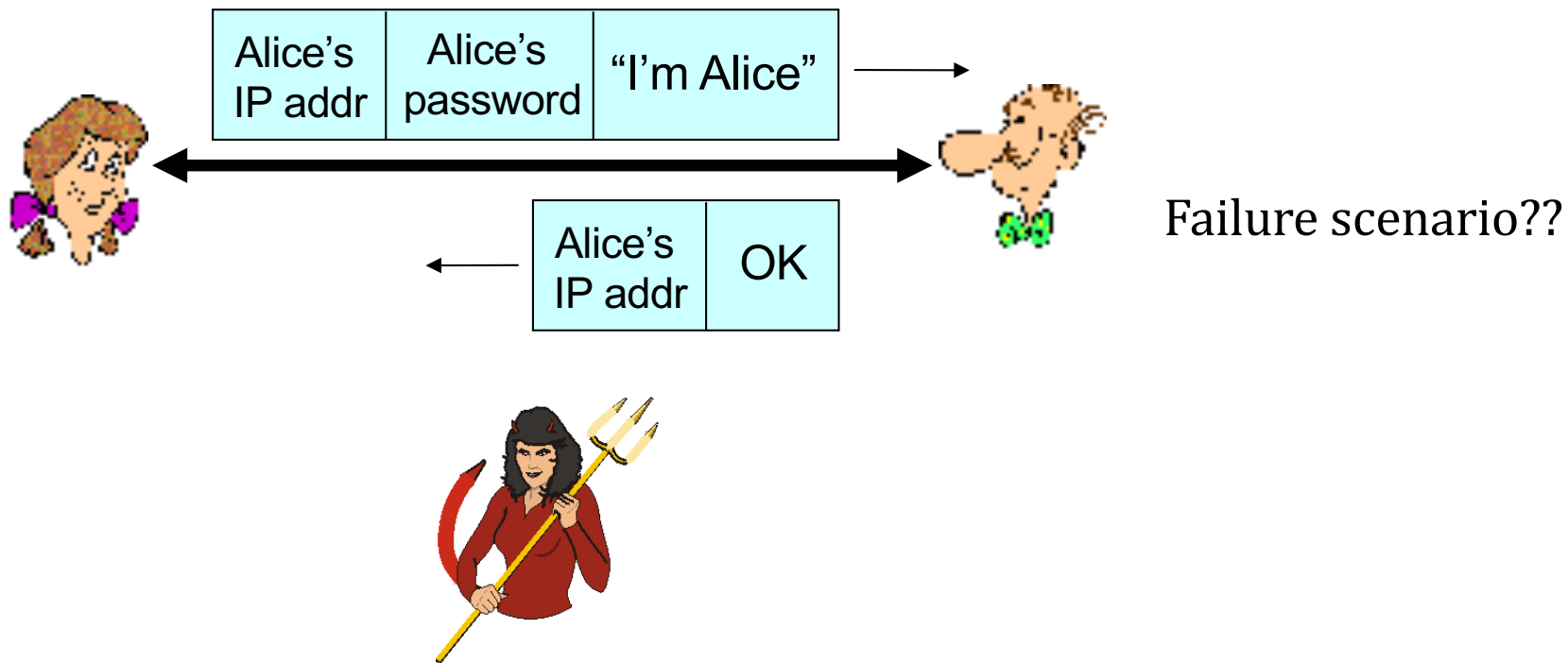
Authentication: another try

Protocol ap2.0: Alice says “I am Alice” in an IP packet containing her source IP address



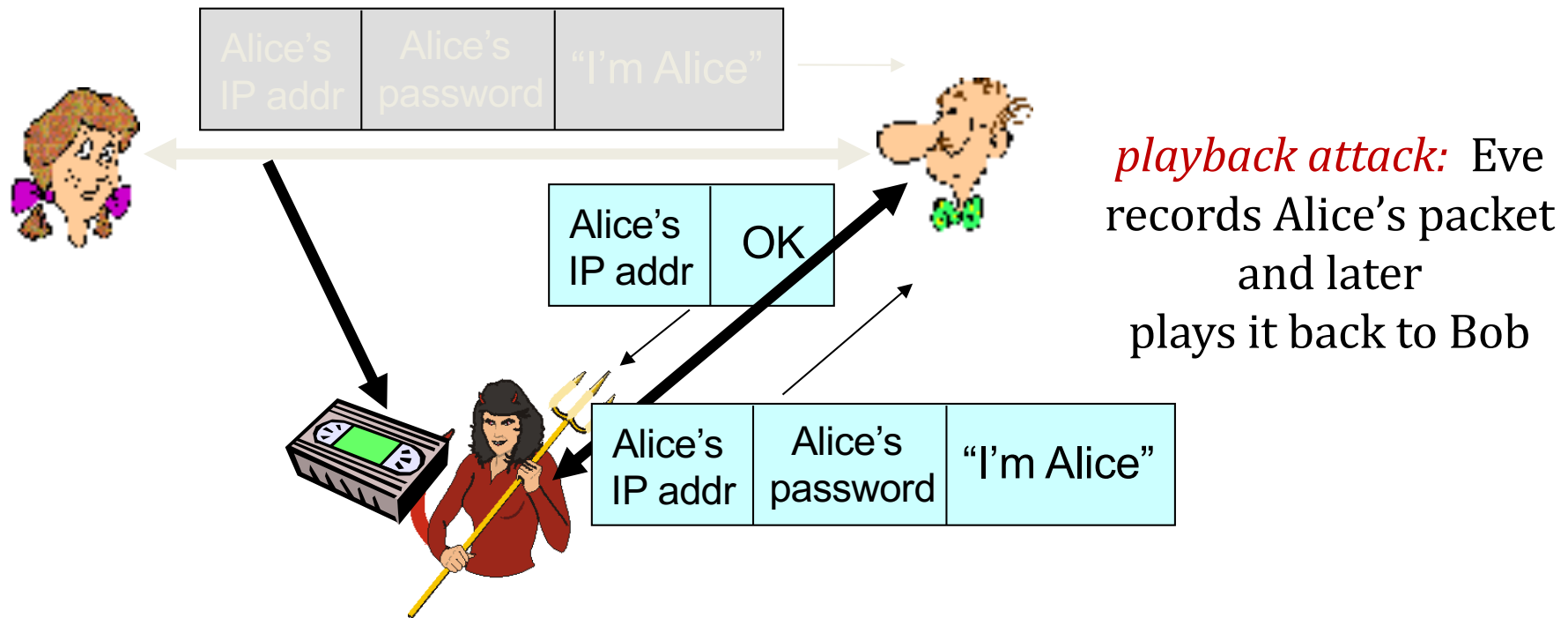
Authentication: another try

Protocol ap3.0: Alice says “I am Alice” and sends her secret password to “prove” it.



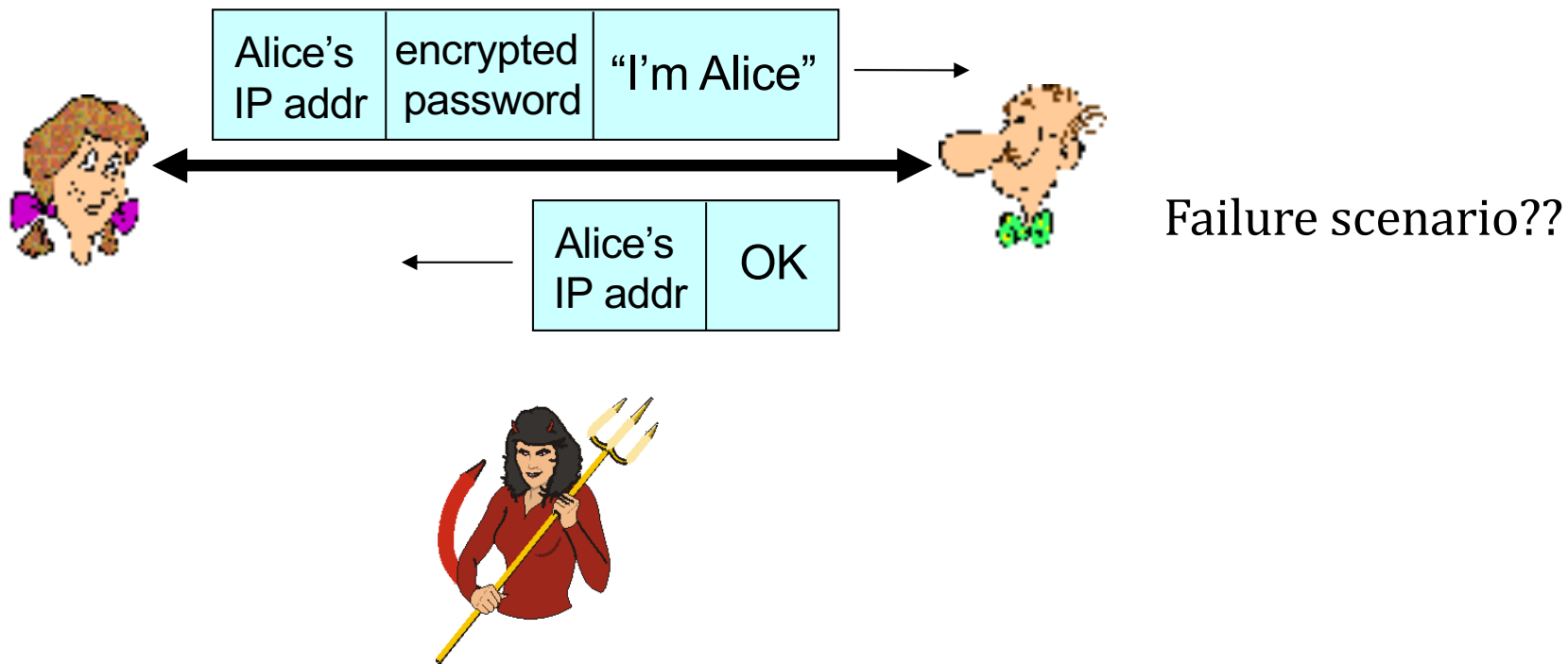
Authentication: another try

Protocol ap3.0: Alice says “I am Alice” and sends her secret password to “prove” it.



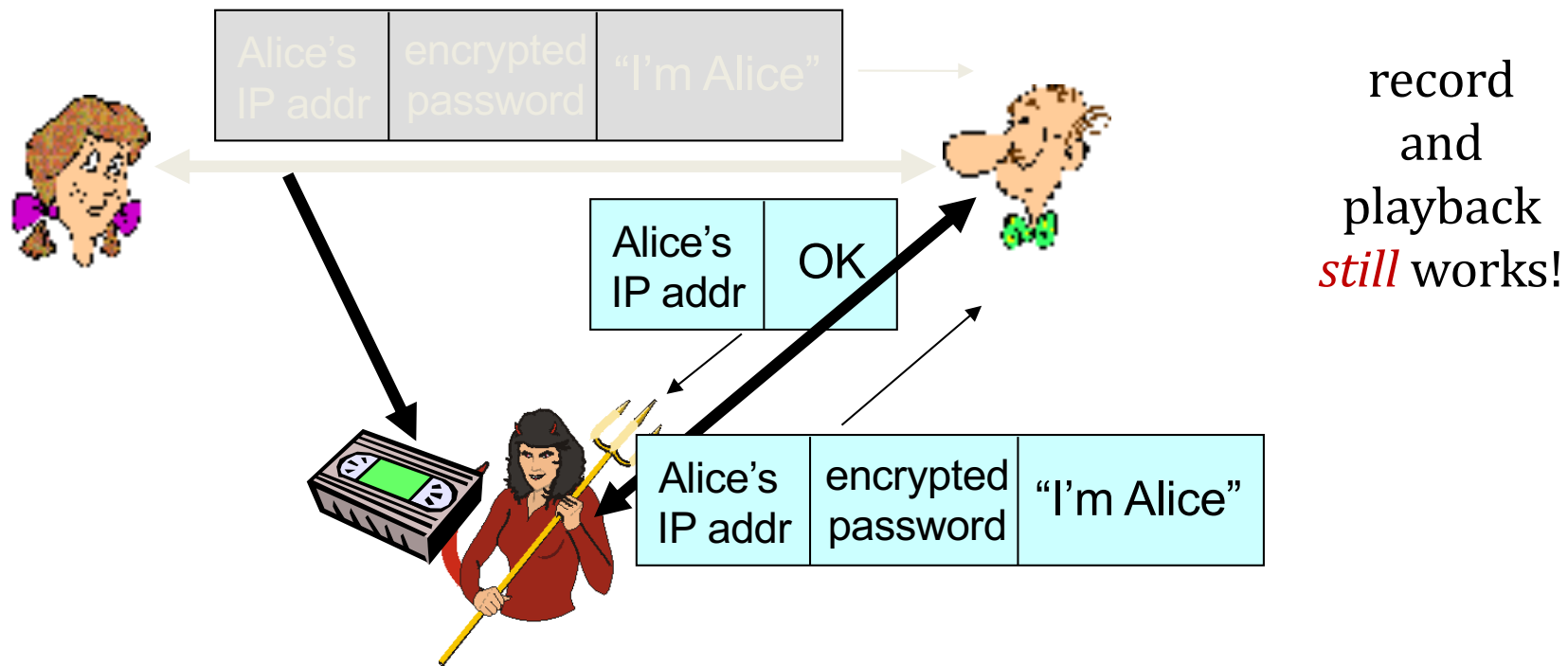
Authentication: yet another try

Protocol ap3.1: Alice says “I am Alice” and sends her *encrypted* secret password to “prove” it.



Authentication: yet another try

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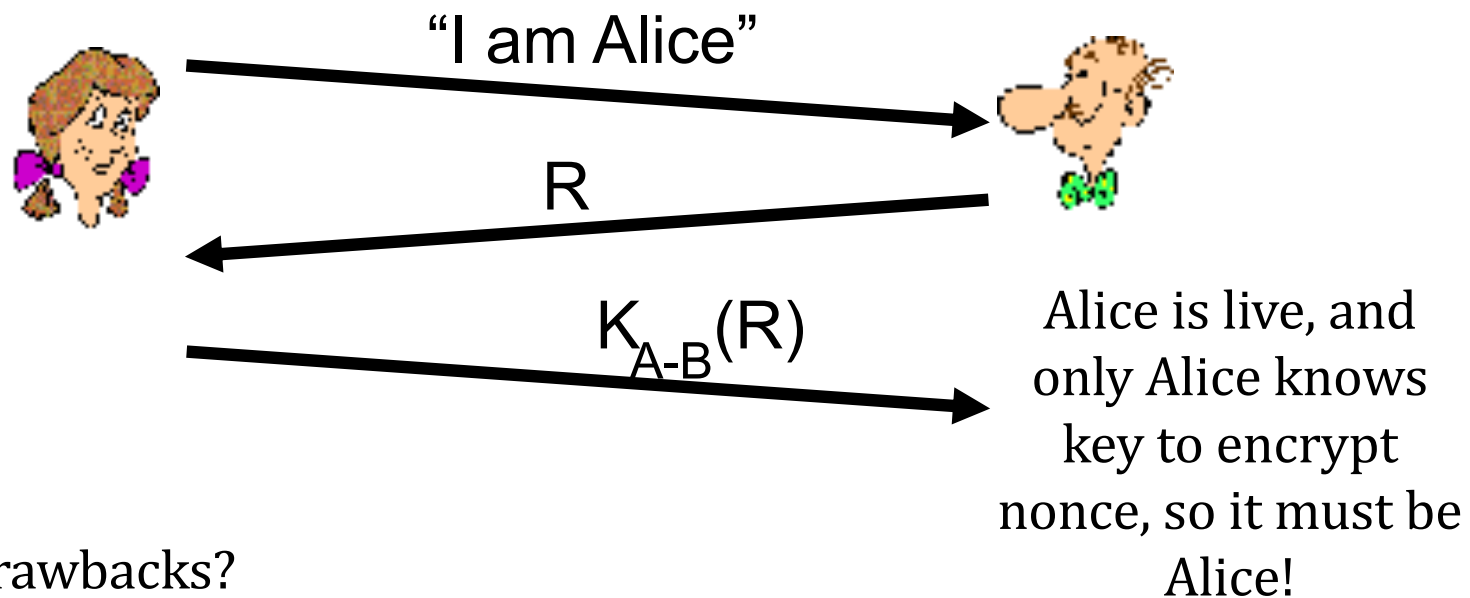


Authentication: yet another try

Goal: avoid playback attack

nonce: number (R) used only *once-in-a-lifetime*

ap4.0: to prove Alice “live”, Bob sends Alice *nonce*, R. Alice must return R, encrypted with shared secret key



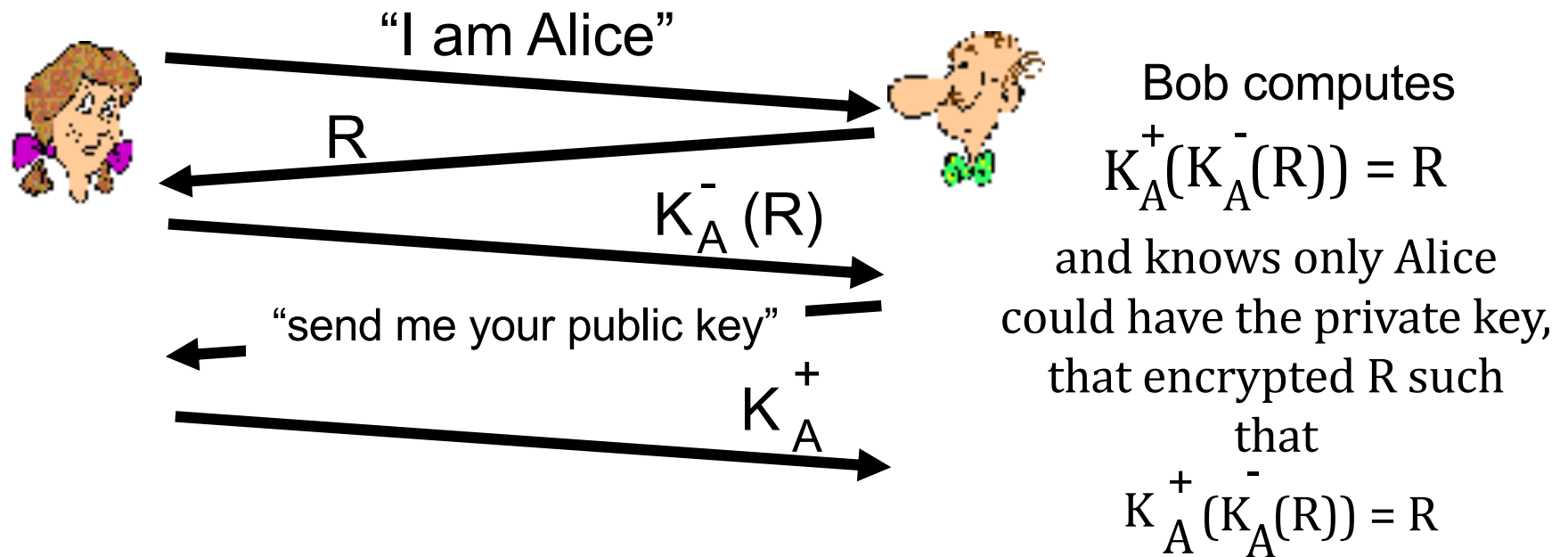
Failures, drawbacks?

Authentication: ap5.0

ap4.0 requires shared symmetric key

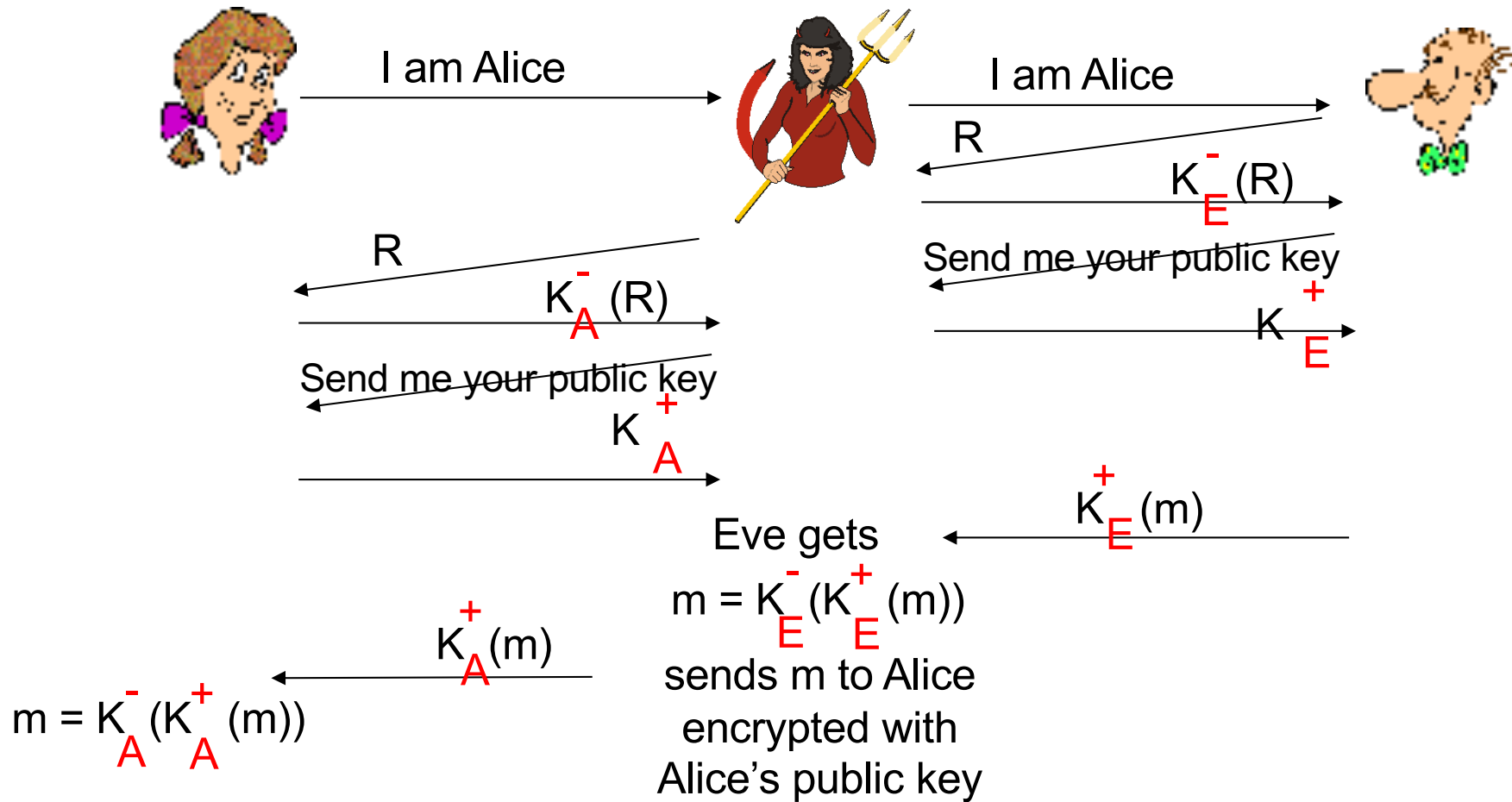
- can we authenticate using public key techniques?

ap5.0: use nonce, public key cryptography



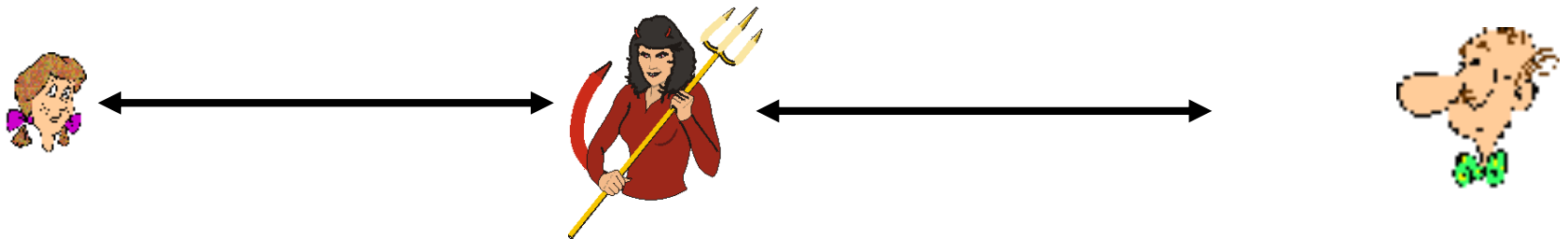
ap5.0: security hole

man (or woman) in the middle attack: Eve poses as Alice (to Bob) and as Bob (to Alice)



ap5.0: security hole

man (or woman) in the middle attack: Eve poses as Alice (to Bob) and as Bob (to Alice)



difficult to detect:

- ❖ Bob receives everything that Alice sends, and vice versa. (e.g., so Bob, Alice can meet one week later and recall conversation!)
- ❖ problem is that Eve receives all messages as well!

Public key encryption algorithms

Requirements:

① need K_B^+ and K_B^- such that

$$K_B^-(K_B^+(m)) = m$$

② given public key K_B^+ , it should be impossible to compute private key K_B^-

RSA: Rivest, Shamir, Adelson algorithm

Public Key Cryptography



symmetric key crypto

- requires sender, receiver know shared secret key
- Q: how to agree on key in first place (particularly if never “met”)?

public key crypto

- ❖ radically different approach [Diffie-Hellman76, RSA78]
- ❖ sender, receiver do *not* share *secret key*
- ❖ *public* encryption key known to *all*
- ❖ *private* decryption key known only to receiver

RSA: getting ready

- A message is a bit pattern.
- A bit pattern can be uniquely represented by an integer number.
- Thus encrypting a message is equivalent to encrypting a number.

Example

- $m = 10010001$. This message is uniquely represented by the decimal number 145.
- To encrypt m , we encrypt the corresponding number, which gives a new number (the ciphertext).

RSA: Creating public/private key pair

1. Choose two large prime numbers p, q .
(e.g., 1024 bits each)
2. Compute $n = pq$, $z = (p-1)(q-1)$
3. Choose e (with $e < n$) that has no common factors with z . (e, z are “relatively prime”). E.g.: 4 and 9 are relatively prime. 6 and 9 are not.
4. Choose d such that $ed-1$ is exactly divisible by z .
(in other words: $ed \bmod z = 1$).
5. *Public* key is (n, e) . *Private* key is (n, d) .
 $\underbrace{(n, e)}_{K_B^+}$ $\underbrace{(n, d)}_{K_B^-}$

RSA: Encryption, decryption

0. Given (n,e) and (n,d) as computed above

1. To encrypt bit pattern, m ($m < n$), compute

$$c = m^e \bmod n \quad (\text{i.e., remainder when } m^e \text{ is divided by } n)$$

2. To decrypt received bit pattern, c , compute

$$m = c^d \bmod n \quad (\text{i.e., remainder when } c^d \text{ is divided by } n)$$

Magic
happens!

$$m = \underbrace{(m^e \bmod n)}_c^d \bmod n$$

RSA example

Bob chooses $p=5$, $q=7$. Then $n=35$, $z=24$.

$e=5$ (so e , z relatively prime).

$d=29$ (so $ed-1$ exactly divisible by z).

	<u>letter</u>	<u>m</u>	<u>m^e</u>	<u>c = m^e mod n</u>
encrypt:	I	12	1524832	17
	<u>c</u>	<u>c^d</u>	<u>m = c^d mod n</u>	<u>letter</u>
decrypt:	17	481968572106750915091411825223071697	12	I

RSA: another important property

The following property will be *very* useful later:

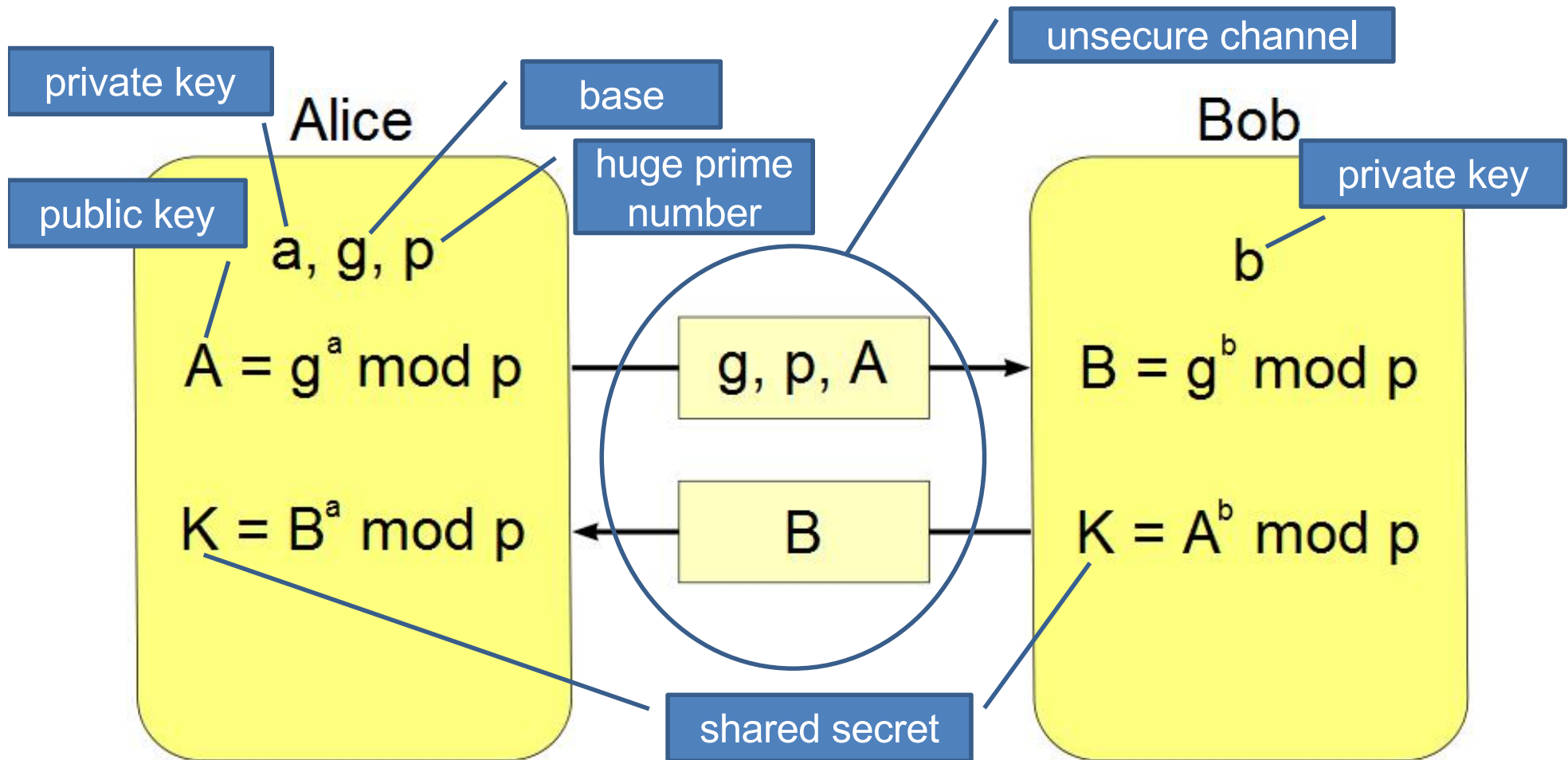
$$\underbrace{K_B^- (K_B^+ (m))}_{\text{use public key first, followed by private key}} = m = \underbrace{K_B^+ (K_B^- (m))}_{\text{use private key first, followed by public key}}$$

use public key
first, followed by
private key

use private key
first, followed by
public key

Result is the same!

Diffie-Hellman key exchange



$$K = A^b \pmod p = (g^a \pmod p)^b \pmod p = g^{ab} \pmod p = (g^b \pmod p)^a \pmod p = B^a \pmod p$$

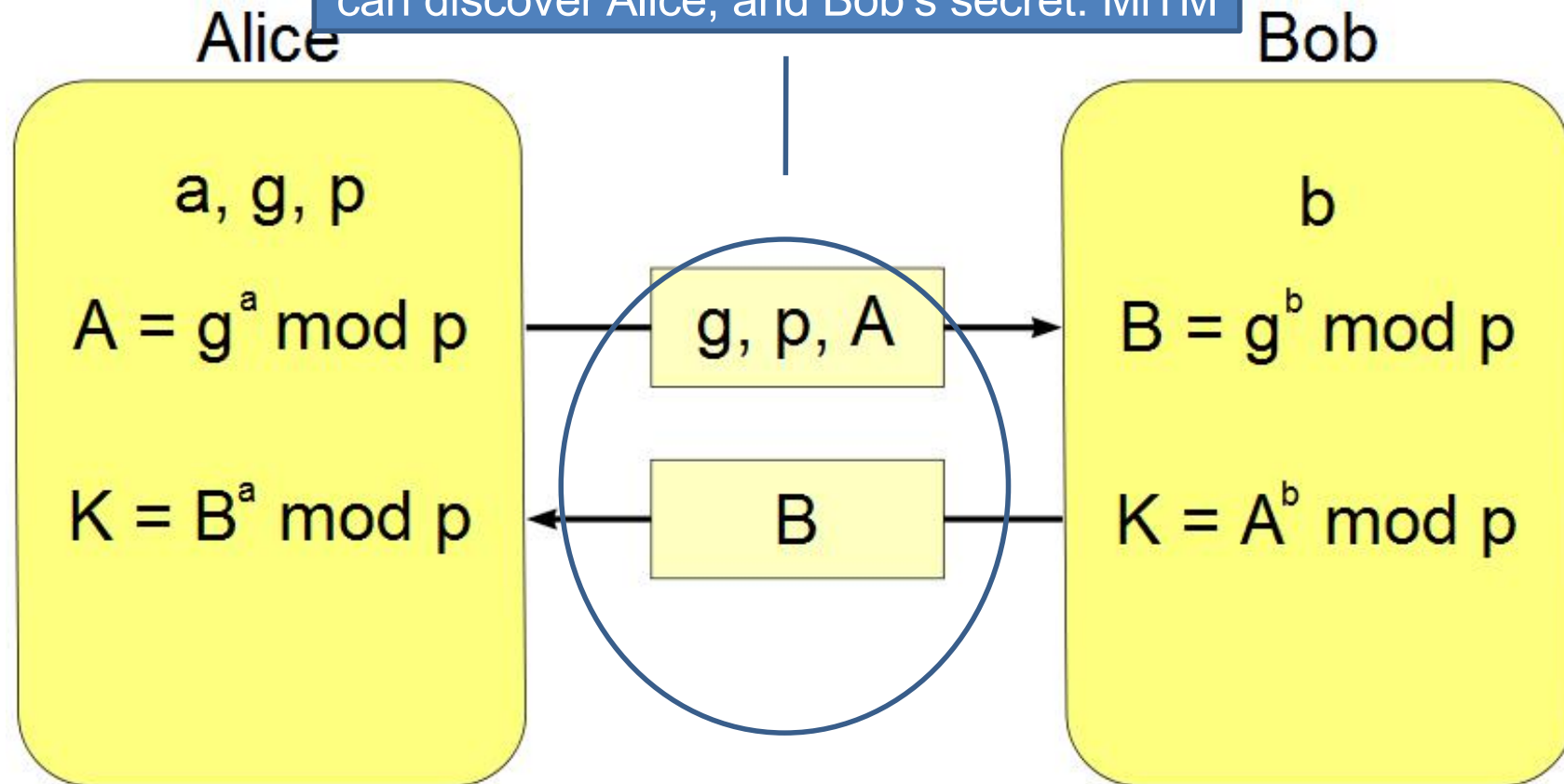
Alice's private key = 5, Bob's private key = 4, $g=3$, $p=7$

Alice's public key = $3^5 \pmod 7 = 5$, Bob's public key = $3^4 \pmod 7 = 4$

Alice's shared key = $4^5 \pmod 7 = 2$, Bob's shared key = $5^4 \pmod 7 = 2$

Diffie-Hellman key exchange

If Eve can tamper with the channel, she can discover Alice, and Bob's secret: MiTM



$$K = A^b \text{ mod } p = (g^a \text{ mod } p)^b \text{ mod } p = g^{ab} \text{ mod } p = (g^b \text{ mod } p)^a \text{ mod } p = B^a \text{ mod } p$$

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Formal Analysis of Security Protocols

- Engineers/developers take a reactive approach
 - Design protocols for known attack vectors
 - Fix problems after attacks have actually happened or Zero day
- Formal Analysis can aid improving security
 - Not full proof but can discover many security holes
 - Take remedial action during design/implementation phase
 - Example: Formal analysis showed vulnerabilities in SSL/TLS record protocols
- Tools and techniques vary in their strength and sophistication, some are simpler to use, others have more advanced features with steep learning curve
 - Complex tools: Tamarin, Scyther, Proverif List goes on
 - Simpler tool: AVISPA, lot of examples of Internet protocols
- We will introduce AVISPA for appreciation, if this interests you, you can explore others in your own time
- You can find more here <http://www.avispa-project.org/>

Acknowledgements

- Network Security Essentials: Stallings, Chapter 4 provided by Henric Johnson, Blekinge Institute of Technology, Sweden (Please refer to Section 4.3 and 4.4 from Stallings)
- Computer Networking A top-Down Approach: Jim Kurose and Keith Ross, chapter 8 (several lecture foils provided by authors)
- <http://www.avispa-project.org/>
- A nice youtube tutorial that we use in lecture
 - <https://www.youtube.com/watch?v=YvgHw5pr5bA>
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